

A Reinvestigation of the Rotational Spectrum of 2-Chloropropene

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Z. Naturforsch. **38a**, 1231–1237 (1983); received August 10, 1983

The microwave spectrum of 2-chloropropene was reinvestigated using microwave Fourier transform spectroscopy. For the two isotopic species $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ and $\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$ the chlorine quadrupole coupling was determined with higher accuracy. The barrier to internal rotation was determined from the ground state. For comparison the first excited torsional state of $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ was remeasured and reanalysed.

Introduction

The microwave spectra of halopropenes are of interest for a comparison of the different methyl internal rotation barriers [1]. We found that former analyses were based on data originating from measurements of the rotational spectra of the ground or first excited state of the methyl internal rotation (torsion).

As there may be an interaction of the methyl internal rotation with other vibrations, we analysed the vibrational and torsional ground state rotational spectra of 2-chloro- and 2-bromopropene. This was possible by the increased resolution of microwave Fourier transform (MWFT) spectroscopy [2–4].

In this paper we present our investigation of 2-chloropropene (^{35}Cl and ^{37}Cl) $\text{CH}_3\text{CCl}=\text{CH}_2$. This molecule was investigated by Unland et al. [5] and by Good et al. [6]. They could not resolve the ground state torsional splittings.

Experimental

The sample was purchased from the Columbia Organic Company, Inc., and used after vacuum distillation. The MWFT-spectrometers described in [2, 3] were used. The temperature was about -65°C , the pressure down to 0.12 mtorr.

The measured lines for $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ and $\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$ are given in Tables 1 and 2 for the torsional ground state, and in Table 3 for the first excited state of the methyl torsion of $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$. We decided to reanalyse this spectrum, because we

found some minor misassignment in [5] and preferred to compare values determined with the same spectroscopic method and theoretical treatment. The accuracy of the lines is about 10–20 kHz. Examples are given in Figs. 1 and 2.

Analysis

As the spectra had already been assigned and the published constants gave a good prediction, the measurements could easily be extended to higher J -values. The assignment of the high J -lines was checked by a centrifugal distortion analysis and the consistency of the quadrupole hfs and the internal rotation analysis.

The three perturbations, which modify the rigid rotor spectrum of this molecule: centrifugal distort-

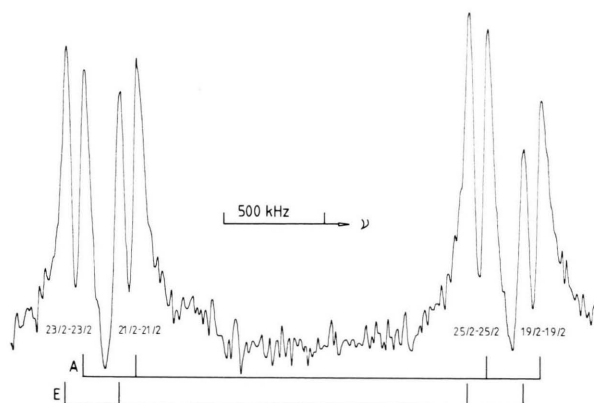


Fig. 1. A range of 2.9 MHz out of a 10 MHz scan of the rotational spectrum of $\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$ in natural abundance. $JK_-K_+ - J'K'_-K'_+ = 11\,47 - 11\,48$; amplitude spectrum, sample interval: 50 ns, 512 K cycles, 1024 data points supplemented by 1024 zeros, microwave signal frequency: $\nu_{\text{MW}} = 17837\text{ MHz}$; pressure: $p = 0.12\text{ mtorr}$, temperature: $T = -58^\circ\text{C}$.

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Tables 1–3. Measured transitions of $\text{CH}_3\text{CCl}=\text{CH}_2$. Γ : symmetry species, ν_{exp} : experimental frequency, $\bar{\nu}$, $\bar{\nu}_0$, $\Delta\nu_{\text{AE}}$: see text, F : measured by Unland et al. [5], *: not used for quadrupole hfs analysis, **: not used for torsional analysis, o: overlaid, nr: not resolved; frequencies, splittings and deviations in MHz.

Table 1. Measured transitions of $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$.

$J_K - K^+$	$J'K' - K'^+$	F	F'	Γ	ν_{exp}	$\bar{\nu} - \bar{\nu}_0$	$\delta_{\text{calc-exp}}$	$\Delta\nu_{\text{AE}}$	$\delta_{\text{calc-exp}}$	$\bar{\nu}_0$
1 0 1	0 0 0	5/2	3/2		8291.697	3.460	-0.056			8288.237
		3/2	3/2		8274.568	-13.669	0.055			
		1/2	3/2		8305.254	17.017	0.001			
2 1 1	2 1 2	7/2	7/2		5038.698	0.430	0.007			5038.268
		5/2	5/2		5037.182	-1.086	-0.007			
2 0 2	1 0 1	7/2	5/2		16173.072	1.236	-0.031			16171.836
		5/2	3/2		16173.848	2.012	0.080			
		3/2	1/2		16154.850	-16.986	-0.032			
		5/2	5/2		16156.963	-14.873	-0.053			
		3/2	3/2		16185.546	13.710	-0.096			
		1/2	1/2		16170.896	-0.940	0.053			
		3/2	5/2		16168.357	-3.479	0.075			
2 1 2	1 1 1	7/2	5/2		14901.239	4.043	0.024			14897.196
		5/2	3/2		14884.266	-12.930	-0.021			
		3/2	1/2		14906.412	9.216	0.058			
		5/2	5/2		14893.510	-3.686	0.010			
		3/2	3/2		14889.857	-7.339	-0.080			
		1/2	1/2		14914.206	17.010	0.008			
3 1 2	3 1 3	9/2	9/2		10013.899	0.475	-0.009			10013.424
		7/2	7/2		10012.487	-0.937	0.005			
		5/2	5/2		10013.135	-0.289	0.009			
		3/2	3/2		10014.547	1.123	-0.005			
4 1 3	4 1 4	11/2	11/2		16368.390	0.392	-0.024			16367.998
		9/2	9/2		16367.324	-0.674	0.021			
		7/2	7/2		16367.686	-0.312	0.023			
		5/2	5/2		16368.781	0.753	-0.031			
4 2 2	4 2 3	11/2	11/2		5009.060	0.889	0.006			5008.171
		9/2	9/2		5006.630	-1.541	-0.025			
		7/2	7/2		5007.478	-0.695	-0.008			
		5/2	5/2		5009.900	1.729	0.029			
5 2 3	5 2 4	13/2	13/2		9911.807					9910.778
					9911.773	1.012	-0.006	0.035	-0.003	
					9909.181					
		11/2	11/2		9909.146	-1.614	0.005			
					9909.921					
		9/2	9/2		9909.885	-0.875	0.003			
					9912.541					
		7/2	7/2		9912.505	1.745	-0.002			
6 2 4	6 2 5	15/2	15/2		16417.743					16416.755
					16417.690	0.962	0.006	0.055	-0.006	
					16415.331					
		13/2	13/2		16415.269	-1.455	0.003			
					16415.894					
		11/2	11/2		16415.842	-0.887	0.007			
					16418.335					
		9/2	9/2		16418.283	1.554	-0.014			
7 3 4	7 3 5	17/2	17/2		8640.601					8639.542
					8640.553	1.035	-0.005	0.044	-0.005	
					8638.092					
		15/2	15/2		8638.048	-1.472	0.001			
					8638.600					
		13/2	13/2		8638.558	-0.963	0.001			
					8641.100					
		11/2	11/2		8641.057	1.537	0.002			
8 3 5	8 3 6	19/2	19/2		14993.179					14992.027
					14993.116	1.111	0.022	0.064	-0.004	
					14990.528					
		17/2	17/2		14990.457	-1.544	-0.014			
					14990.967					
		15/2	15/2		14990.905	-1.101	0.025			
					14993.713					
		13/2	13/2		14993.654	1.647	-0.032			
10 4 6	10 4 7	23/2	23/2		12617.739					12616.621
					12617.673	1.085	-0.005	0.067	-0.001	
					12615.244					
		21/2	21/2		12615.178	-1.410	0.006			
					12615.610					
		19/2	19/2		12615.541	-1.045	-0.001			
					12618.092					
		17/2	17/2		12618.025	1.438	0.000			
12 5 7	12 5 8	27/2	27/2		9850.238					9849.297
					9850.172	0.908	-0.003	0.067	-0.001	
					9848.194					
		25/2	25/2		9848.129	-1.135	0.003			
					9848.446					
		23/2	23/2		9848.377	-0.885	-0.001			
					9850.480					
		21/2	21/2		9850.414	1.150	0.002			
13 5 8	13 5 9	29/2	29/2		16949.844					16948.692
					16949.746					
					16947.378					
		27/2	27/2		16947.284	-1.361	0.005			
					16947.659					
		25/2	25/2		16947.558	-1.083	0.002			
					16950.123					
		23/2	23/2		16950.022	1.381	-0.005			
15 6 9	15 6 10	33/2	33/2		13232.134					13231.143
					13232.038	0.943	-0.004	0.095	0.002	
					13230.053					
		31/2	31/2		13229.970	-1.126	-0.001			
					13230.262					
		29/2	29/2		13230.167	-0.928	0.002			
					13232.329					
		27/2	27/2		13232.233	1.138	0.002			
17 7 10	17 7 11	37/2	37/2		9717.675					9716.905
					9717.591	0.728	0.001	0.085	0.002	
					9716.088					
		35/2	35/2		9716.004	-0.859	0.001			
					9716.225					
		33/2	33/2		9716.139	-0.723	0.001			
					9717.818					
		31/2	31/2		9717.732	0.870	-0.004			
18 7 11	18 7 12	39/2	39/2		16976.986					16975.955
					16976.858	0.967	-0.002	0.128	0.003	
					16974.888					
		37/2	37/2		16974.760	-1.131	0.005			
					16975.063					
		35/2	35/2		16975.926	-0.955	-0.001			
					16977.160					
		33/2	33/2		16977.020	-0.136	-0.001			
20 8 12	20 8 13	43/2	43/2		12580.749					12579.919
					12580.632	0.772	-0.003	0.116	0.001	
					12579.095					
		41/2	41/2		12578.979	-0.882	-0.002			
					12579.213					
		39/2	39/2		12579.095	-0.765	0.002			
					12580.862					
		37/2	37/2		12580.749	0.887	0.003			
22 9 13	22 9 14	47/2	47/2		8849.990					8849.385
					8849.903	0.562	0.003	0.092	0.003	
					8848.784					
		45/2	45/2		8848.694	-0.646	0.004			
					8848.874					
		43/2	43/2		8848.784	-0.556	-0.005			
					8850.078					
		41/2	41/2		8849.990	0.649	-0.003			
23 9 14	23 9 15	49/2	49/2		15785.532					15784.651
					15785.379	0.805	-0.001	0.155	-0.004	
					15783.821					
		47/2	47/2		15783.667	-0.907	-0.001			
					15783.932					
		45/2	45/2		15783.778	-0.796	-0.003			
					15785.638					
		43/2	43/2		15785.481	0.909	0.004			
25 10 15	25 10 16	53/2	53/2		11232.533					11231.864
					11232.408	0.607	-0.001	0.126	-0.001	
					11231.248					
		51/2	51/2		11231.122	-0.678	-0.001			
					11231.324					
		49/2	49/2		11231.198	-0.603	0.000			
					11232.606					
		47/2	47/2		11232.480	0.679	0.003			
28 11 17	28 11 18	59/2	59/2		13922.668					13921.947
					13922.512	0.643	0.002	0.156	-0.001	
					13921.314					
		57/2	57/2		13921.156	-0.712	-0.002			
					13921.786					
		55/2	55/2		13921.230	-0.629	-0.003			
					13922.737					
		53/2	53/2		13922.582	0.713	0.003			

J K- K+	J' K'-K'+	F	F'	Γ	ν_{exp}	$\bar{\nu}-\bar{\nu}_0$	$\delta_{\text{calc-exp}}$	$\Delta\nu_{\text{AE}}$	$\delta_{\text{calc-exp}}$	$\bar{\nu}_0$
30 12 18	30 12 19	63/2	63/2	R	9590.372	0.463	0.001	0.120	0.000	9589.849
				E	9590.252					
		61/2	61/2	R	9589.398	-0.510	-0.001			
				E	9589.279					
		59/2	59/2	R	9589.449	-0.460	-0.003			
				E	9589.328					
		57/2	57/2	R	9590.418	0.509	0.003			
				E	9590.298					
31 12 19	31 12 20	65/2	65/2	R	16930.072	0.678	0.003	0.188	-0.001	16929.302
				E	16929.887					
		63/2	63/2	R	16928.654	-0.745	-0.003			
				E	16928.459					
		61/2	61/2	R	16928.721	-0.673	-0.006			
				E	16928.536					
		59/2	59/2	R	16930.139	0.744	0.005			
				E	16929.952					
33 13 20	33 13 21	69/2	69/2	R	11798.644	0.498	0.004	0.145	0.001	11798.074
				E	11798.499					
		67/2	67/2	R	11797.602	-0.545	-0.002			
				E	11797.455					
		65/2	65/2	R	11797.651	-0.495	-0.005			
				E	11797.506					
		63/2	63/2	R	11798.689	0.544	0.005			
				E	11798.547					
36 14 22	36 14 23	75/2	75/2	R	14286.343	0.535	0.003	0.172	0.000	14285.722
				E	14286.171					
		73/2	73/2	R	14285.228	-0.580	-0.003			
				E	14285.056					
		71/2	71/2	R	14285.276	-0.531	-0.006			
				E	14285.105					
		69/2	69/2	R	14286.386	0.578	0.006			
				E	14286.213					
39 15 24	39 15 25	81/2	81/2	R	17065.278	0.582	-0.008	0.196	0.003	17064.614
				E	17065.082					
		79/2	79/2	R	17064.096	-0.617	-0.001			
				E	17063.897					
		77/2	77/2	R	17064.142	-0.571	-0.002			
				E	17063.944					
		75/2	75/2	R	17065.317	0.607	0.012			
				E	17065.125					
J K- K+	J' K'-K'+	F	F'	Γ	ν_{exp}	$\bar{\nu}-\bar{\nu}_0$	$\delta_{\text{calc-exp}}$	$\Delta\nu_{\text{AE}}$	$\delta_{\text{calc-exp}}$	$\bar{\nu}_0$
11 4 7	11 4 8	25/2	25/2	R	17825.854	-0.877	0.005	0.088	-0.003	17824.933
				E	17825.765					
		23/2	23/2	R	17833.859	-1.119	-0.003			
				E	17833.768					
		21/2	21/2	R	17834.121	-0.854	-0.005			
				E	17834.037					
		19/2	19/2	R	17836.116	1.140	0.005			
				E	17836.020					
13 5 8	13 5 9	29/2	29/2	R	14099.912	0.787	0.003	0.086	0.001	14099.083
				E	14099.828					
		27/2	27/2	R	14098.157	-0.970	-0.002			
				E	14098.068					
		25/2	25/2	R	14098.353	-0.773	-0.002			
				E	14098.267					
		23/2	23/2	R	14100.109	0.984	0.003			
				E	14100.024					
15 6 9	15 6 10	33/2	33/2	R	10344.226	0.630	0.000	0.078	0.002	10343.558
				E	10344.149					
		31/2	31/2	R	10342.840	-0.757	0.001			
				E	10342.762					
		29/2	29/2	R	10342.981	-0.616	-0.005			
				E	10342.902					
		27/2	27/2	R	10344.357	0.760	0.004			
				E	10344.278					
16 6 10	16 6 11	35/2	35/2	R	17551.689	0.787	0.005	0.120	-0.002	17550.844
				E	17551.573					
		33/2	33/2	R	17549.963	-0.941	0.001			
				E	17549.842					
		31/2	31/2	R	17550.132	-0.774	-0.008			
				E	17550.008					
		29/2	29/2	R	17551.851	0.948	0.002			
				E	17551.732					
18 7 11	18 7 12	39/2	39/2	R	12902.166	0.636	0.004	0.113	-0.005	12901.472
				E	12902.050					
		37/2	37/2	R	12900.786	-0.744	-0.003			
				E	12900.669					
		35/2	35/2	R	12900.895	-0.631	-0.003			
				E	12900.786					
		33/2	33/2	R	12902.277	0.750	0.003			
				E	12902.166					
20 8 12	20 8 13	43/2	43/2	R	8895.809	0.458	0.010	0.085	0.004	8895.309
				E	8895.724					
		41/2	41/2	R	8894.814	-0.540	0.002			
				E	8894.724					
		39/2	39/2	R	8894.892	-0.456	-0.009			
				E	8894.814					
		37/2	37/2	R	8895.894	0.543	-0.001			
				E	8895.809					
21 8 13	21 8 14	45/2	45/2	R	15614.380	0.646	0.002	0.137	0.001	15613.666
				E	15614.244					
		43/2	43/2	R	15612.997	-0.738	-0.003			
				E	15612.859					
		41/2	41/2	R	15613.094	-0.642	-0.002			
				E	15612.954					
		39/2	39/2	R	15614.473	0.740	0.005			
				E	15614.338					
23 9 14	23 9 15	49/2	49/2	R	10840.881	0.481	0.002	0.114	-0.001	10840.343
				E	10840.766					
		47/2	47/2	R	10839.858	-0.542	-0.004			
				E	10839.743					
		45/2	45/2	R	10839.922	-0.478	-0.002			
				E	10839.808					
		43/2	43/2	R	10840.942	0.544	0.005			
				E	10840.832					
26 10 16	26 10 17	55/2	55/2	R	12925.609	0.492	0.005	0.141	-0.002	12925.047
				E	12925.469					
		53/2	53/2	R	12924.567	-0.551	-0.003			
				E	12924.425					
		51/2	51/2	R	12924.629	-0.489	-0.005			
				E	12924.487					
		49/2	49/2	R	12925.667	0.551	0.005			
				E	12925.529					
28 11 17	28 11 18	59/2	59/2	R	8577.888	0.341	0.005	0.105	-0.001	8577.496
				E	8577.785					
		57/2	57/2	R	8577.063	-0.380	-0.003			
				E	8577.003					
		55/2	55/2	R	8577.105	-0.338	-0.007			
				E	8577.930					
		53/2	53/2	R	8577.823	0.381	0.004			
				E	8577.700					

Table 2. Measured transitions of $\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$.

J	$K=K''$	J'	$K'=K''+1$	F	F'	$\square$	ν_{exp}	$\bar{\nu} - \bar{\nu}_0$	$\delta_{\text{calc-exp}}$	$\Delta\nu_{\text{AE}}$	$\delta_{\text{calc-exp}}$	$\bar{\nu}_0$
29	11 18	29	11 19	61/2	61/2	R	15149.248	0.504	0.005	0.165	-0.001	15148.659
						E	15149.078					
				59/2	59/2	R	15148.179	-0.560	-0.002			
						E	15148.018					
				57/2	57/2	R	15148.240	-0.501	-0.006			
						E	15148.076					
						E	15149.302					
				55/2	55/2	E	15149.136	0.560	0.004			
31	12 19	31	12 20	65/2	65/2	R	10126.349	0.357	0.004	0.122	0.002	10125.921
						E	10126.226					
						E	10125.596					
				63/2	63/2	R	10125.477	-0.394	-0.002			
						E	10125.628					
				61/2	61/2	R	10125.513	-0.355	-0.005			
						E	10126.384					
				59/2	59/2	E	10126.265	0.394	0.003			
32	12 20	32	12 21	67/2	67/2	R	17510.852	0.511	0.010	0.184	0.006	17510.352
						E	17510.870					
						E	17509.974					
				65/2	65/2	R	17509.788	-0.571	-0.001			
						E	17510.038					
				63/2	63/2	R	17509.851	-0.508	-0.011			
						E	17511.112					
				61/2	61/2	R	17509.921	-0.570	-0.001			
33	12 21	33	12 22	69/2	69/2	R	11811.007	0.570	0.008	0.143	0.001	11811.007
						E	11811.007					
						E	11810.677					
				67/2	67/2	R	11810.522	-0.494	-0.004			
						E	11810.712					
				65/2	65/2	R	11809.458	-0.567	-0.007			
						E	11811.481					
				63/2	63/2	R	11810.728	-0.502	-0.001			
37	14 22	37	14 23	73/2	73/2	R	14866.552	0.520	0.009	0.157	0.001	14866.052
						E	14867.459					
						E	14862.823					
				71/2	71/2	R	14862.857	-0.513	-0.007			
						E	14863.856					
				69/2	69/2	R	14862.637	-0.576	-0.012			
						E	14863.645					
				67/2	67/2	R	14861.622	-0.512	-0.009			
39	15 24	39	15 25	81/2	81/2	R	8855.820					8855.885
						E	8855.820					
				79/2	79/2	R	8855.696					
						E	8855.696					
				77/2	77/2	R	8855.287					
						E	8855.287					
				75/2	75/2	R	8855.141					
						E	8855.141					
40	15 25	40	15 26	83/2	83/2	R	15512.652	0.396	0.006	0.182	-0.002	15512.652
						E	15512.958					
						E	15512.314					
				81/2	81/2	R	15512.132	-0.428	-0.004			
						E	15512.549					
				79/2	79/2	R	15512.165	-0.295	-0.006			
						E	15512.172					
				77/2	77/2	R	15512.989	0.429	0.004			
						E	15512.989					
J	$K=K''$	J'	$K'=K''+1$	F	F'	$\square$	ν_{exp}	$\bar{\nu} - \bar{\nu}_0$	$\delta_{\text{calc-exp}}$	$\Delta\nu_{\text{AE}}$	$\delta_{\text{calc-exp}}$	$\bar{\nu}_0$
1	0 1	0	0 0	5/2	3/2	R	8279.148	3.412	-0.010	-0.218	-0.002	8275.845
						E	8279.265					
						E	8262.117					
				3/2	3/2	R	8262.336	-13.618	0.010			
2	0 2	1	0 1	7/2	5/2	R	16148.529	1.115	-0.010	-0.329	-0.020	16147.488
						E	16148.866					
						E	16149.420					
				5/2	3/2	R	16149.742	2.092	-0.003			
						E	16146.420					
				1/2	1/2	E	16146.758	-0.899	0.014			
2	1 2	1	1 1	7/2	5/2	R	14882.560	4.053	0.011	-0.221	-0.008	14878.621
						E	14882.787					
						E	14865.578					
				5/2	3/2	R	14865.792	-11.926	-0.009			
J	$K=K''$	J'	$K'=K''+1$	F	F'	$\square$	ν_{exp}	$\bar{\nu} - \bar{\nu}_0$	$\delta_{\text{calc-exp}}$	$\Delta\nu_{\text{AE}}$	$\delta_{\text{calc-exp}}$	$\bar{\nu}_0$
3	1 2	3	1 3	9/2	9/2	R	9975.795	0.489	-0.011	-1.253	-0.043	9975.928
						E	9977.029					
						E	9974.241					
				7/2	7/2	R	9975.591	-0.962	0.006			
						E	9975.004					
				5/2	5/2	R	9976.245	-0.303	0.016			
						E	9976.449					
				3/2	3/2	E	9977.727	1.160	-0.013			
4	1 3	4	1 4	11/2	11/2	R	16209.099	0.389	-0.007	-1.996	-0.060	16209.714
						E	16211.107					
						E	16208.050					
				9/2	9/2	R	16210.025	-0.676	0.007			
						E	16208.410					
				7/2	7/2	E	16210.414	-0.203	0.002			
6	2 4	6	2 5	15/2	15/2	R	16324.514	0.967	0.009	-2.670	-0.047	16324.881
						E	16327.181					
						E	16322.091					
				13/2	13/2	R	16324.760	-1.455	-0.009			
						E	16322.646					
				11/2	11/2	R	16325.315	-0.900	0.012			
						E	16325.108					
				9/2	9/2	E	16327.782	1.564	-0.011			
7	3 4	7	3 5	17/2	17/2	R	8555.665	1.028	0.001	-2.141	-0.008	8555.704
						E	8557.799					
						E	8552.166					
				15/2	15/2	R	8555.298	-1.472	0.001			
						E	8553.674					
				13/2	13/2	R	8555.822	-0.956	-0.006			
						E	8556.165					
				11/2	11/2	E	8558.314	1.536	0.002			
8	3 5	8	3 6	19/2	19/2	R	14866.183	1.163	-0.027	-3.248	-0.028	14866.640
						E	14869.423					
						E	14862.447					
				17/2	17/2	R	14866.694	-1.569	0.007			
						E	14863.958					
				15/2	15/2	R	14867.205	-1.058	-0.021			
						E	14866.590					
				13/2	13/2	E	14869.848	1.579	0.040			
10	4 6	10	4 7	23/2	23/2	R	12465.351	1.083	-0.005	-3.597	-0.015	12466.067
						E	12468.949					
						E	12462.866					
				21/2	21/2	R	12466.461	-1.403	0.002			
						E	12463.226					
				19/2	19/2	R	12466.822	-1.043	-0.001			
						E	12465.698					
				17/2	17/2	E	12469.295	1.430	0.005			
12	5 7	12	5 8	27/2	27/2	R	9688.303	0.904	-0.005	-3.618	-0.006	9689.208
						E	9688.269					
				25/2	25/2	R	9689.890	-1.128	0.004			
						E	9688.522					
				23/2	23/2	R	9690.136	-0.879	-0.001			
						E	9688.540					
				21/2	21/2	E		1.141	0.003			
13	5 8	13	5 9	29/2	29/2	R	16712.017	1.102	-0.003	-5.342	-0.012	16712.586
						E	16717.258					
						E	16709.560					
				27/2	27/2	R	16714.904	-1.354	0.001			
						E	16709.825					
				25/2	25/2	R	16715.178	-1.079	0.000			
						E	16712.287					
				23/2	23/2	E	16717.626	1.371	0.002			
15	6 9	15	6 10	33/2	33/2	R	12986.350	0.930	0.002	-5.232	-0.005	12988.028
						E	12991.586					
						E	12984.299					
				31/2	31/2	R	12989.532	-1.122	0.003			
						E	12984.507					
				29/2	29/2	R	12989.732	-0.918	-0.001			
						E	12986.555					
				27/2	27/2	E	12991.790	1.135				

$J, K - K'$	$J', K' - K''$	F	F'	$\bar{\nu}$	$\bar{\nu}_{\text{exp}}$	$\bar{\nu} - \bar{\nu}_0$	$\delta_{\text{calc-exp}}$	$\Delta\nu_{\text{AE}}$	$\delta_{\text{calc-exp}}$	$\bar{\nu}_0$
20 8 12	20 8 12	35/2 35/2	A	16627.629		-0.945	-0.003			
				16634.707						
		33/2 33/2	E	16629.696		1.125	0.001			
				16636.779						
22 9 13	22 9 14	43/2 43/2	A	12256.714		0.754	0.004	-6.322	0.011	12259.121
				12263.035						
		41/2 41/2	E	12255.087		-0.871	0.000			
				12261.412						
		39/2 39/2	A	12255.215		-0.746	-0.006			
				12261.535						
22 9 13	22 9 14	37/2 37/2	E	12256.834		0.875	0.002			
				12263.157						
		47/2 47/2	A	8573.109		0.552	0.001	-5.205	-0.009	8575.160
				8578.314						
		45/2 45/2	E	8571.923		-0.635	0.007			
				8572.015						
23 9 14	23 9 15	43/2 43/2	E	8573.192		-0.543	-0.006			
				8578.396		0.634	-0.002			
		49/2 49/2	A	15349.318		0.787	0.005	-8.097	-0.004	15352.577
				15357.409						
		47/2 47/2	E	15347.626		-0.900	0.005			
				15355.728						
25 10 15	25 10 16	45/2 45/2	A	15347.751		-0.778	-0.009			
				15355.846						
		43/2 43/2	E	15349.428		0.902	-0.003			
				15357.529						
		53/2 53/2	A	10857.312		0.590	0.003	-6.689	0.007	10860.066
				10864.000						
28 11 17	28 11 18	51/2 51/2	E	10856.056		-0.666	0.002			
				10862.743						
		49/2 49/2	A	10856.135		-0.585	-0.005			
				10862.826						
		47/2 47/2	E	10857.389		0.668	-0.001			
				10864.078						
30 12 18	30 12 19	53/2 53/2	A	13430.939		0.643	0.020	-8.313	0.020	13434.437
				13439.220						
		51/2 51/2	E	13429.621		-0.643	-0.019			
				13437.966						
		63/2 63/2	A	9194.310		0.445	0.005	-6.386	-0.005	9197.058
				9200.696						
31 12 19	31 12 20	61/2 61/2	E	9193.370		-0.494	-0.001			
				9199.757						
		59/2 59/2	A	9193.420		-0.444	-0.005			
				9199.808						
		57/2 57/2	E	9194.363		0.497	0.000			
				9200.747						
33 13 20	33 13 21	65/2 65/2	A	16302.988		0.661	0.004	-10.036	0.034	16307.346
				16313.025						
		63/2 63/2	E	16301.596		-0.732	0.002			
				16311.631						
		61/2 61/2	A	16301.670		-0.659	-0.004			
				16311.704						
36 14 22	36 14 23	65/2 65/2	E	16303.061		0.733	-0.001			
				16313.097						
		69/2 69/2	A	11287.965		0.479	0.007	-7.751	0.004	11291.362
				11295.716						
		67/2 67/2	E	11286.956		-0.530	0.000			
				11294.707						
38 15 23	38 15 24	65/2 65/2	A	11287.009		-0.478	-0.007			
				11294.758						
		63/2 63/2	E	11288.016		0.530	0.002			
				11295.768						
		75/2 75/2	A	13642.231		0.540	0.001	-9.155	-0.014	13646.273
				13651.395						
38 15 23	38 15 24	73/2 73/2	E	13641.160		-0.540	-0.001			
				13650.305						
		71/2 71/2	A	9195.004		0.361	0.004	-6.675	-0.004	9197.062
				9201.702						
		77/2 77/2	E	9194.269		-0.393	0.000			
				9200.948						
39 15 24	39 15 25	75/2 75/2	A	9194.310		-0.357	-0.007			
				9200.979						
		73/2 73/2	E	9195.056		0.392	0.002			
				9201.731						
		81/2 81/2	A	16267.982		0.575	0.000	-10.618	0.018	16272.719
				16278.605						
39 15 24	39 15 25	77/2 77/2	E	16266.837		-0.576	0.001			
				16277.449						

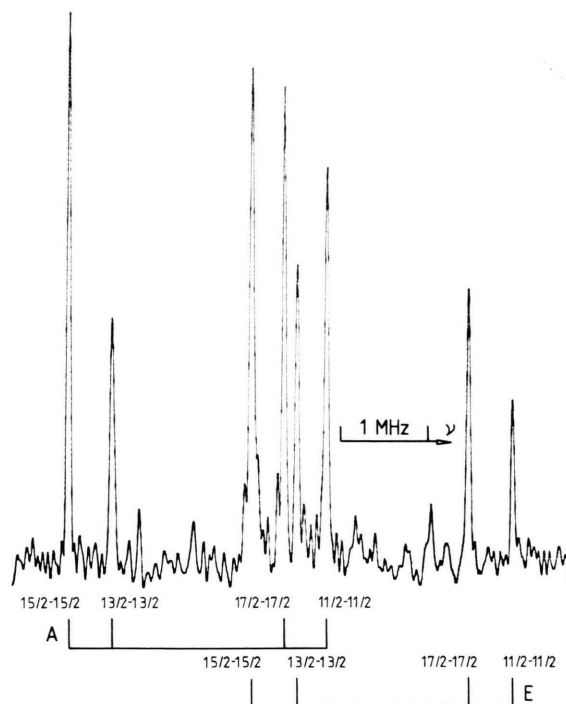


Fig. 2. A range of 6.5 MHz out of a 25 MHz scan of the rotational spectrum of $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ in natural abundance in the first excited torsional state. $J, K, K' - J', K', K'' = 7, 3, 4 - 7, 3, 5$; power spectrum, sample interval: 20 ns, 1280 K cycles, 1024 data points supplemented by 3072 zeros, microwave signal frequency: $\nu_{\text{MW}} = 8554$ MHz; pressure: $p = 0.3 - 0.9$ mtorr, temperature: $T = -35^\circ\text{C}$.

tion, chlorine hfs, and methyl internal rotation, are treated independently. Thus we do not assume any interaction between these three disturbances.

For the quadrupole hfs analysis the mean $\bar{\nu}$ of the A-E torsional doublet was taken for each hfs component. In the case of $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ in the ground and in the first excited torsional state we proved for lines up to $J = 16$ and $J = 20$ respectively by direct diagonalisation of the hfs Hamiltonian matrix [7] that first order perturbation theory is sufficient. Unfortunately no line in the range of our spectrometer is sensitive to the offdiagonal coupling tensor element χ_{ab} . The difficulties in determining χ_{ab} may also be due to the fact that with an angle $\angle(\text{C}_2\text{Cl}, a) = 5.5^\circ$ [6] the C-Cl-bond lies close by the main inertial axis a .

For the centrifugal distortion analysis the constants of Table 4 were fitted to the lines of Tables 1 to 3 respectively, which contain our mea-

Table 4. Rotational [MHz], centrifugal distortion [kHz] and chlorine-hfs [MHz] constants of 2-chloropropene. N: number of lines, $| (a, b) |$: highest correlation, σ : standard deviation [kHz], Δv_{exp} : mean experimental hfs splitting [MHz]; standard errors in units of the last digit in brackets, results of a direct diagonalisation hfs analysis in square brackets.

$\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$			$\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$		
	$v = 0$		$v = 1$		$v = 0$
A	9271.706 (79)		9270.62 (67)		9270.942 (47)
B	4983.816 (45)		4974.52 (35)		4850.430 (26)
C	3304.414 (45)		3301.59 (35)		3245.114 (26)
D'_J	-0.97 (593)		67 (45)		-5.5 (36)
D'_{JK}	2.2 (18)		-9.7 (157)		2.8 (10)
D'_K	17.7 (70)		63 (60)		16.0 (41)
δ'_J	0.17 (17)		-0.93 (145)		0.238 (88)
R'_6	-0.407 (90)		-0.98 (77)		-0.340 (46)
N	27		25		24
$ (\delta'_J, D'_K) $	0.997		0.998		0.998
σ	67		510		39
χ_+	68.072 (51)	[68.081 (64)]	68.036 (38)	[68.069 (23)]	53.763 (41)
χ_-	6.122 (47)	[6.134 (66)]	6.264 (36)	[6.267 (22)]	4.976 (37)
N	25	[13]	18	[12]	21
$ (\chi_+, \chi_-) $	0.113	[0.093]	0.292	[0.265]	0.193
σ	33	[42]	14	[8]	21
Δv_{exp}	3.007	[4.173]	1.855	[2.432]	1.862
χ_{aa}	-68.072	[-68.081]	-68.036	[-68.069]	-53.763
χ_{bb}	37.097	[37.108]	37.150	[37.168]	29.370
χ_{cc}	30.975	[30.974]	30.886	[30.901]	24.394

surements supplemented by lines of [5] Table 3* not measured by us, using the Hamiltonian of Van Eijck and Tytke up to fourth order [8, 9]. The unsplit line $\bar{\nu}_0$ was determined as the arithmetic mean of the $\bar{\nu}$ corrected with the hfs-shifts calculated with the quadrupole coupling constants of Table 4. The rotational, centrifugal distortion, and quadrupole coupling constants of Table 4 are the result of some iterative fitting calculations of the quadrupole hfs and the centrifugal distortion. As the errors of the centrifugal constants and their correlation are high, we take the centrifugal distortion analysis as a kind of interpolation only.

Finally we took for the methyl torsion analysis a fictitious A–E doublet Δv_{AE} , calculated by adding the hfs shifts to the hfs components, equivalent to averaging the A–E splittings of the hfs components. As the torsional splitting is nearly independent of the hfs component of one rotational transition, we believe that this procedure is sufficiently accurate. These doublets were analysed by the internal axis

method (IAM) with a version** of Wood's program [10–14].

In a first step we tried to fit the Fourier coefficient $w_1(s)$ [14], a function of the reduced barrier s , the moment of inertia of the methyl group I_x and the angle $\angle(a, i)$ between the internal rotation axis i and the a principal inertia axis to the A–E splittings given in Tables 1 to 3. The rotational constants of Table 4 were used. The fit converged for the isotopic species $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ and $\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$ in the ground state to $I_x \cong 3.36 \text{ amu}\text{\AA}^2$ with $| (w_1(s), \angle(a, i)) | \cong 0.986$ being the highest correlation. These values of I_x are rather unreasonable in comparison with other cases and values derived from molecular structures [15]. For $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ in the first torsionally excited state on the other hand a more reasonable value of I_x was obtained. The results of the corresponding fit are contained in Table 5 (column 3).

In a second internal rotation fitting calculation we therefore used a fixed moment of inertia of the methyl group $I_x = 3.167 \text{ amu}\text{\AA}^2$, determined from a complete r_s -structure of the three H-atoms given in [6] assuming that the internal axis is perpendicular to the plane of the three H-atoms intersecting it in

* The following transitions seem to be assigned in the wrong way by Unland et al.: a) $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ $v=0$: 212–111 1/2–3/2 and 3/2–5/2; b) $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ $v=1$: 734–735 A: 17/2–17/2, 11/2–11/2 and E: 15/2–15/2, 13/2–13/2.

* Programs DDIRFI, FIDIC, F05MOD.

Table 5. Internal rotation parameters of 2-chloropropene, N : number of lines, (a, b) : correlation between a and b , σ : standard deviation, $\Delta\nu_{AE}$: mean experimental torsional splitting; standard errors in units of the last digit in brackets, fixed values in square brackets, derived parameters below the line.

	$\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$		$\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$	
	$v=0$	$v=1$	$v=1$ [5]	$v=0$
$w_1(s)$		$2.5185(98) \cdot 10^{-4}$		$-0.421(16) \cdot 10^{-5}$
$\angle(a, i) [^\circ]$		58.801 (97)		61.28 (108)
$I_x [\text{amu}\text{\AA}^2]$		[3.167]	[64.67]	[3.167]
N	20	21	5	17
$ (w_1(s), \angle(a, i)) $	0.987	0.988		0.989
σ	3	17		3
$\Delta\nu_{AE} [\text{kHz}]$	110	5476	3128	116
s				
I_s	72.15 (29)	72.246 (40)		72.63 (35)
F	2568 (10)	2572.3 (14)	2671	2582 (12)
$\angle(b, i) [^\circ]$	165.91	165.97	[168.5]	165.69
$\angle_a$	30.22 (84)	31.199 (97)	[25.33]	28.72 (108)
$\angle_b$	0.5033 (127)	0.5180 (15)	[0.428410]	0.4805 (166)
	0.8641 (75)	0.85537 (88)	[0.903580]	0.8770 (89)

their centre of mass. We used this value of I_x for both isotopic species and the ground and excited torsional state. The results are given in Table 5 (columns 1, 2 and 5). In investigation [5] $I_x = 3.110 \text{ amu}\text{\AA}^2$ derived from the inertial defect of propylene [16] was taken. One may notice that the values for both isotopic species agree within the error limits. The angle $\angle(a, i) = 59.78^\circ$ for $\text{CH}_3\text{C}^{35}\text{Cl}=\text{CH}_2$ in the ground state differs slightly from the angle $\angle(a, i) = 60.69^\circ$ determined from the r_s -structure. The angle $\angle(a, i) = 61.28^\circ$ for $\text{CH}_3\text{C}^{37}\text{Cl}=\text{CH}_2$ in the ground state reflects the effect of ^{37}Cl -substitution. By an r_0 -calculation we estimated an angle increment of 0.29° .

We think that we have reached a better consistence of all data. A comparison with other molecules is postponed, until the rotational ground state spectra have been analysed or reanalysed.

We thank the members of our group, especially Dipl. Phys. G. Bestmann, for discussions and help, the Deutsche Forschungsgemeinschaft and Fonds der Chemie for funds.

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